

Formulário

$F = P \cdot (1+i)^n$	$F = P \cdot (F/P; i; n)$	$F = P + J$	$F = P \cdot (1+n \cdot i)$
$P = F \cdot \frac{1}{(1+i)^n}$	$P = F \cdot (P/F; i; n)$	$J_n = P \cdot i \cdot n$	$J_n = P \cdot [(1+i)^n - 1]$
$F = A \cdot \frac{(1+i)^n - 1}{i}$	$F = A \cdot (F/A; i; n)$	$F_{k+x} = F_k + (F_{k+1} - F_k) \cdot x$	
$A = F \cdot \frac{i}{(1+i)^n - 1}$	$A = F \cdot (A/F; i; n)$	$P = \frac{A}{i}$	$A = i \cdot P$
$P = A \cdot \frac{(1+i)^n - 1}{i \cdot (1+i)^n}$	$P = A \cdot (P/A; i; n)$	$i = \frac{r}{m}$	$1+i = (1+i_m)^m$
$A = P \cdot \frac{i \cdot (1+i)^n}{(1+i)^n - 1}$	$A = P \cdot (A/P; i; n)$	$1+i' = (1+\theta) \cdot (1+i)$	$1+\theta = \prod_{k=1}^m (1+\theta_k)$
$F = A \cdot n \quad A = \frac{F}{n}$	$P = A \cdot n \quad A = \frac{P}{n}$	$1+\theta = (1+\theta_{eq_m})^m$	$F = P \cdot (1+i')$
$F = A' \cdot \frac{(1+i)^n - 1}{i} \cdot (1+i)$	$F = A' \cdot (F/A; i; n) \cdot (F/P; i; 1)$	$c.m. = \theta \cdot P$	$P_{corr} = P \cdot (1+\theta)$
$A' = F \cdot \frac{i}{(1+i)^n - 1} \cdot \frac{1}{1+i}$	$A' = F \cdot (A/F; i; n) \cdot (P/F; i; 1)$	$p_k = a_k + j_k$	$j_k = i \cdot SD_{k-1}$
$P = A' \cdot \frac{(1+i)^n - 1}{i \cdot (1+i)^{n-1}}$	$P = A' \cdot (P/A; i; n) \cdot (F/P; i; 1)$	$SD_k = P - \sum_{k=1}^k a_k$	$P = \sum_{k=1}^n a_k$
$A' = P \cdot \frac{i \cdot (1+i)^{n-1}}{(1+i)^n - 1}$	$A' = P \cdot (A/P; i; n) \cdot (P/F; i; 1)$	$p = P \cdot (A/P; i; n)$	$SD_k = p \cdot (P/A; i; n - k)$
$F = A' \cdot n \quad A' = \frac{F}{n}$	$P = A' \cdot n \quad A' = \frac{P}{n}$	$a = \frac{P}{n}$	$j_k = i \cdot P \cdot \left(1 - \frac{k-1}{n}\right)$
$A = A' \cdot (1+i)$	$A' = \frac{A}{1+i}$	$SD_k = P \cdot \left(1 - \frac{k}{n}\right)$	$p_k = \frac{P}{n} + i \cdot P \cdot \left(1 - \frac{k-1}{n}\right)$
$P = X \cdot \frac{\left(\frac{1+g}{1+i}\right)^n - 1}{g-i}$	$X = P \cdot \frac{g-i}{\left(\frac{1+g}{1+i}\right)^n - 1}$	$k < n:$ $a_k = 0$ $j = i \cdot P$ $p_k = i \cdot P$ $SD_k = P$	$k = n:$ $a_n = P$ $j = i \cdot P$ $p_n = P \cdot (1+i)$ $SD_n = 0$
$P = X \cdot \frac{n}{1+i}$	$X = P \cdot \frac{1+i}{n}$		$p_k = \frac{p_{k.S.F.} + p_{k.S.H.}}{2}$ $a_k = \frac{a_{k.S.F.} + a_{k.S.H.}}{2}$ $j_k = \frac{j_{k.S.F.} + j_{k.S.H.}}{2}$ $SD_k = \frac{SD_{k.S.F.} + SD_{k.S.H.}}{2}$
$X_k = X \cdot (1+g)^{k-1}$			
$c.m._k = \theta_k \cdot (SD_{k-1} + j_k)$	$P_{c.m.k} = p_k + c.m._k$		
$SD_{corr.k} = SD_{k-1} \cdot (1+\theta_k)$	$j_{c.m.k} = i \cdot SD_{corr.k}$	$c.m._{pk} = P_{c.m.k} - p_k$	$c.m._{gk} = \theta_k \cdot SD_{k-1} + j_{c.m.k} - j_k$

$VPB = \sum_{k=0}^n \frac{B_k}{(1+TMA)^k}$	$VPC = \sum_{k=0}^n \frac{C_k}{(1+TMA)^k}$	$VPL = VPB - VPC$	$VPUE = VPL \cdot (A/P; TMA; n)$
		$CPL = VPC - VPB$	$CPUE = CPL \cdot (A/P; TMA; n)$
$0 = \sum_{k=0}^n \frac{B_k - C_k}{(1+TIR)^k}$	$B/C = \frac{VPB}{VPC}$	$B/C = (1+RASI)^n$	$RASI = \sqrt[n]{B/C} - 1$

$$\begin{aligned}
DC &= fd \cdot P & fd &= \frac{1}{N} & DC &= \frac{P}{N} & VC_n &= P \cdot \left(1 - \frac{n}{N}\right) & VR_n &= P \cdot \left(\frac{VRE}{P}\right)^{\frac{n}{N}} \\
DR &= t \cdot P & t &= \left(\frac{VRE}{P} - 1\right) \cdot \frac{1}{N} & DR &= \frac{VRE - P}{N} & VR_n &= P \cdot (1 + n \cdot t) & VR_n &= P \cdot \left[1 + \left(\frac{VRE}{P} - 1\right) \cdot \frac{n}{N}\right] \\
DR_n &= t \cdot VR_{n-1} & t &= \left(\frac{VRE}{P}\right)^{\frac{1}{N}} - 1 & & & VR_n &= P \cdot (1 + t)^n & & \\
DR_n &= P \cdot \left(\frac{VRE}{P}\right)^{\frac{n-1}{N}} \cdot \left[\left(\frac{VRE}{P}\right)^{\frac{1}{N}} - 1\right] & & & DCA_n &= P - VC_n & DRA_n &= P - VR_n \\
& & & & & & DA_n &= P - VR_n
\end{aligned}$$

$$\begin{aligned}
F &= G \cdot \left[\frac{(1+i)^n - 1}{i^2} - \frac{n}{i}\right] & F &= G \cdot (F/G; i; n) & P &= A \cdot \sum_{k=1}^n \frac{1}{1+k \cdot i} & A &= P \cdot \frac{1}{\sum_{k=1}^n \frac{1}{1+k \cdot i}} \\
G &= F \cdot \left[\frac{(1+i)^n - 1}{i^2} - \frac{n}{i}\right]^{-1} & G &= F \cdot (G/F; i; n) & p &= P \cdot \frac{1}{\sum_{k=1}^n \frac{1}{1+k \cdot i}} & & \frac{1}{\sum_{k=1}^n \frac{1}{1+k \cdot i}} \\
P &= G \cdot \left[\frac{(1+i)^n - 1}{i^2} - \frac{n}{i}\right] \cdot \frac{1}{(1+i)^n} & P &= G \cdot (P/G; i; n) & & & a_k &= P \cdot \frac{1}{1+k \cdot i} \\
G &= P \cdot \left\{\left[\frac{(1+i)^n - 1}{i^2} - \frac{n}{i}\right] \cdot \frac{1}{(1+i)^n}\right\}^{-1} & G &= P \cdot (G/P; i; n) & j_{pk} &= P \cdot \frac{1}{\sum_{k=1}^n \frac{1}{1+k \cdot i}} \cdot \left(1 - \frac{1}{1+k \cdot i}\right) \\
G &= A \cdot \left[\frac{1}{i} - \frac{n}{(1+i)^n - 1}\right]^{-1} & G &= A \cdot (G/A; i; n) & & & & \frac{1}{\sum_{k=1}^n \frac{1}{1+k \cdot i}} \\
A &= G \cdot \left[\frac{1}{i} - \frac{n}{(1+i)^n - 1}\right] & A &= G \cdot (A/G; i; n) & SD_k &= P - \sum_{k=1}^k P \cdot \frac{1}{1+k \cdot i} \\
F &= P \cdot e^{-r \cdot n} & P &= F \cdot e^{-r \cdot n} & & & & \left(\frac{1}{\sum_{k=1}^n \frac{1}{1+k \cdot i}} \right) \\
F &= A \cdot \frac{e^{r \cdot n} - 1}{e^r - 1} & A &= F \cdot \frac{e^r - 1}{e^{r \cdot n} - 1} & j_{gk} &= i \cdot \left(P - \sum_{k=1}^{k-1} P \cdot \frac{1}{1+k \cdot i} \right) \\
P &= A \cdot \frac{e^{r \cdot n} - 1}{e^{r \cdot n} \cdot (e^r - 1)} & A &= F \cdot \frac{e^{r \cdot n} \cdot (e^r - 1)}{e^{r \cdot n} - 1} & & & &
\end{aligned}$$

i = 1% ao período

n	F/P	P/F	F/A	A/F	P/A	A/P
1	1,010000	0,990099	1,000000	1,000000	0,990099	1,010000
2	1,020100	0,980296	2,010000	0,497512	1,970395	0,507512
3	1,030301	0,970590	3,030100	0,330022	2,940985	0,340022
4	1,040604	0,960980	4,060401	0,246281	3,901966	0,256281
5	1,051010	0,951466	5,101005	0,196040	4,853431	0,206040
6	1,061520	0,942045	6,152015	0,162548	5,795476	0,172548
7	1,072135	0,932718	7,213535	0,138628	6,728195	0,148628
8	1,082857	0,923483	8,285671	0,120690	7,651678	0,130690
9	1,093685	0,914304	9,368527	0,106740	8,566018	0,116740
10	1,104622	0,905287	10,462213	0,095582	9,471305	0,105582
11	1,115668	0,896324	11,566835	0,086454	10,367628	0,096454
12	1,126825	0,887449	12,682503	0,078849	11,255077	0,088849

i = 10% ao período

n	F/P	P/F	F/A	A/F	P/A	A/P
1	1,100000	0,909091	1,000000	1,000000	0,909091	1,100000
2	1,210000	0,826446	2,100000	0,476190	1,735537	0,576190
3	1,331000	0,751315	3,310000	0,302115	2,486852	0,402115
4	1,464100	0,683013	4,641000	0,215471	3,169865	0,315471
5	1,610510	0,620921	6,105100	0,163797	3,790787	0,263797
6	1,771561	0,564474	7,715610	0,129607	4,355261	0,229607
7	1,948717	0,513158	9,487171	0,105405	4,868419	0,205405
8	2,143589	0,466507	11,435888	0,087444	5,334926	0,187444
9	2,357948	0,424098	13,579477	0,073641	5,759024	0,173641
10	2,593742	0,385543	15,937425	0,062745	6,144567	0,162745
11	2,853117	0,350494	18,531167	0,053963	6,495061	0,153963
12	3,138428	0,318631	21,384284	0,046763	6,813692	0,146763